

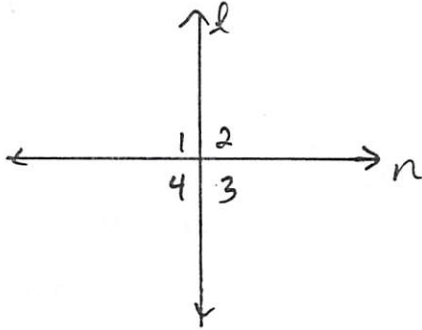
Sec 2-8: \perp Lines (The Proofs)

Key

2011 Perpendicular adjacent Angles theorem

A. Given: $l \perp n$

Prove: $\angle 1 \cong \angle 2 \cong \angle 3 \cong \angle 4$

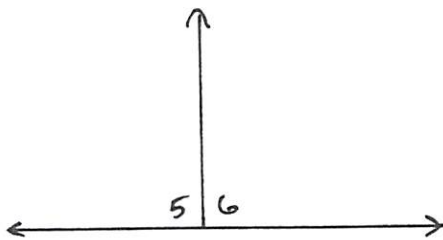


Statements	Reasons
1. $l \perp n$	1. Given
2. $m\angle 1 = 90^\circ, m\angle 2 = 90^\circ$ $m\angle 3 = 90^\circ, m\angle 4 = 90^\circ$	2. Def \perp lines
3. $m\angle 1 = m\angle 2 = m\angle 3 = m\angle 4$	3. Substitution
4. $\angle 1 \cong \angle 2 \cong \angle 3 \cong \angle 4$	4. Def \cong

What did you just prove? If 2 lines are \perp then they form \cong adj angles

Congruent & Supplement = RT \perp Theorem

B. 2012
2013 Given: $\angle 5 \cong \angle 6, \angle 5 \text{ \& } \angle 6$
linear PAIR
Prove: $\angle 5$ and $\angle 6$ are right angles



Statements	Reasons
1. $\angle 5 \cong \angle 6$	1. Given
2. $m\angle 5 = m\angle 6$	2. Def. \cong
3. $m\angle 5 + m\angle 6 = 180^\circ$	3. Def. supp \angle 's
4. $m\angle 5 + m\angle 5 = 180^\circ$	4. Substitution
5. $2(m\angle 5) = 180^\circ$	5. Com. Like terms
6. $m\angle 5 = 90^\circ$	6. Division =
7. $m\angle 6 = 90^\circ$	7. Substitution
8. $\angle 5$ and $\angle 6$ are right angles	8. Def. RT \perp

What did you prove?

If 2 \angle 's are \cong and a supplementary (LINEAR PAIR or non-adjacent supplementary) then they are Right \angle 's.